

# Educational DP Contest AtCoder N - Slimes

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**Time limit:** 1.0s   **Memory limit:** 1G

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There are  $N$  slimes lining up in a row. Initially, the  $i$ -th slime from the left has a size of  $a_i$ .

Taro is trying to combine all the slimes into a larger slime. He will perform the following operation repeatedly until there is only one slime:

- Choose two adjacent slimes, and combine them into a new slime. The new slime has a size of  $x + y$ , where  $x$  and  $y$  are the sizes of the slimes before combining them. Here, a cost of  $x + y$  is incurred. The positional relationship of the slimes does not change while combining slimes.

Find the minimum possible total cost incurred.

## Constraints

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- All values in input are integers.
- $2 \leq N \leq 400$
- $1 \leq a_i \leq 10^9$

## Input Specification

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The first line will contain the integer  $N$ .

The next line will contain  $N$  integers,  $a_1, a_2, \dots, a_N$ .

## Output Specification

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Print the minimum possible total cost incurred.

**Note:** The answer may not fit into a 32-bit integer type.

## Sample Input 1

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```
4
10 20 30 40
```

## Sample Output 1

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```
190
```

## Explanation For Sample 1

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Taro should do as follows (slimes being combined are shown in bold):

- (10, **20**, 30, 40) → (**30**, 30, 40)
- (**30**, **30**, 40) → (**60**, 40)
- (**60**, **40**) → (**100**)

## Sample Input 2

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```
5
10 10 10 10 10
```

## Sample Output 2

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```
120
```

## Explanation For Sample 2

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Taro should do, for example, as follows:

- (10, **10**, 10, 10, 10) → (**20**, 10, 10, 10)
- (20, **10**, **10**, 10) → (20, **20**, 10)
- (20, **20**, **10**) → (20, **30**)
- (**20**, **30**) → (**50**)

## Sample Input 3

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```
3
1000000000 1000000000 1000000000
```

## Sample Output 3

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```
5000000000
```

## Sample Input 4

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6

7 6 8 6 1 1

## Sample Output 4

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68

## Explanation For Sample 4

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Taro should do, for example, as follows:

- $(7, 6, 8, 6, \mathbf{1}, \mathbf{1}) \rightarrow (7, 6, 8, 6, \mathbf{2})$
- $(7, 6, 8, \mathbf{6}, \mathbf{2}) \rightarrow (7, 6, 8, \mathbf{8})$
- $(\mathbf{7}, \mathbf{6}, 8, 8) \rightarrow (\mathbf{13}, 8, 8)$
- $(13, \mathbf{8}, \mathbf{8}) \rightarrow (13, \mathbf{16})$
- $(\mathbf{13}, \mathbf{16}) \rightarrow (\mathbf{29})$